

Chapter 12: Tidal Inlets



Basic Morphology
Distribution
Formation
Sand Transport
Influence on Barrier Island
Inlet Relationships

Tidal Inlets

Inlet: conduit through which there is a direct exchange between ocean and bay water

Tidal Inlet: the depth of the main channel is controlled/maintained by the oscillation of the tide through the conduit (tidal currents)

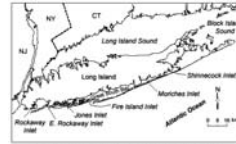
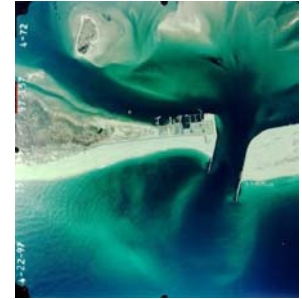
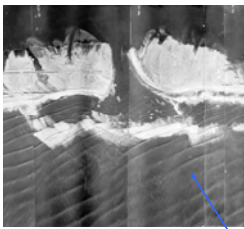


Fig. 1. Location map for the south shore of Long Island, New York

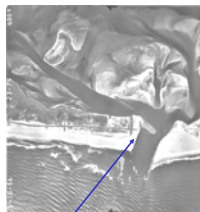


Unstructured Inlet



Incident Wave Field

Structured Inlet



Jetty

Basic Morphology

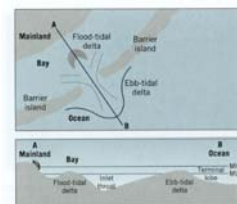
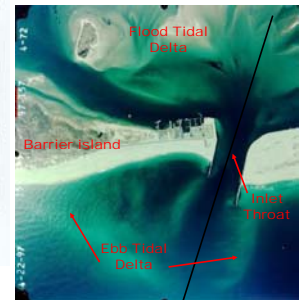
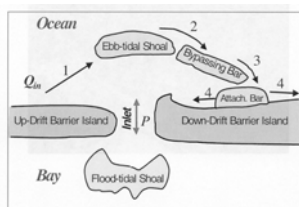


Fig. 12.6 Longitudinal and cross sections of a tidal inlet. Note that the inlet throat is the narrowest and deepest region of the tidal inlet.

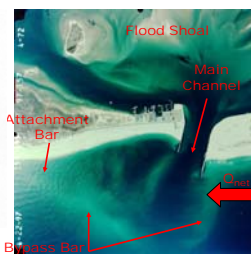


Inlet Morphology: is predominantly controlled by waves and tides

Basic Morphology



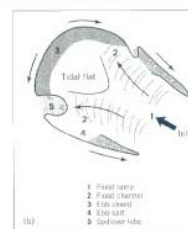
Stabilized Federal Inlet
Width = 244 m
Semi-diurnal Tide, Mean Range = 0.88 m at entrance (ocean side)
Spring Range = 1.1 m
Prism = $3.29 \times 10^7 \text{ m}^3$
Average Wave Climate; H = 1 m, T = 7 s, SE

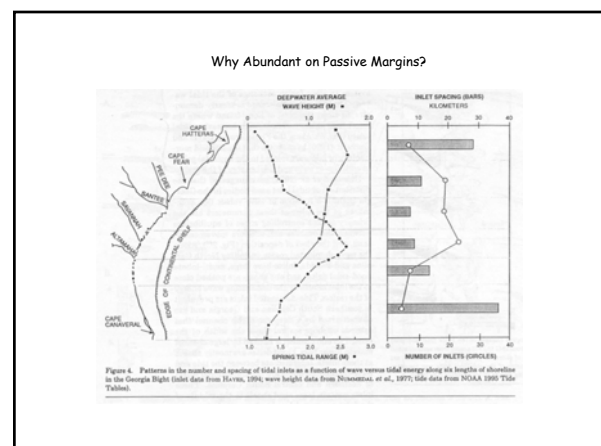
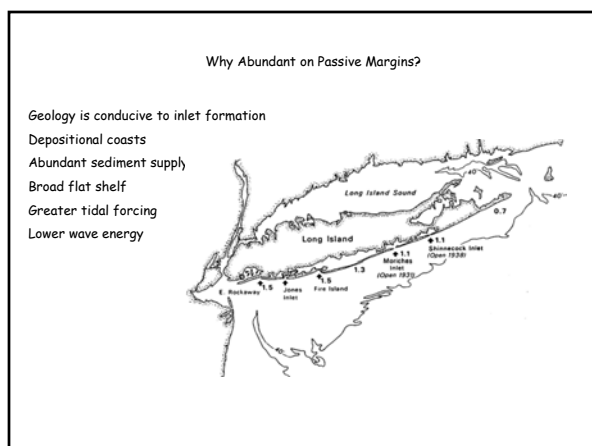
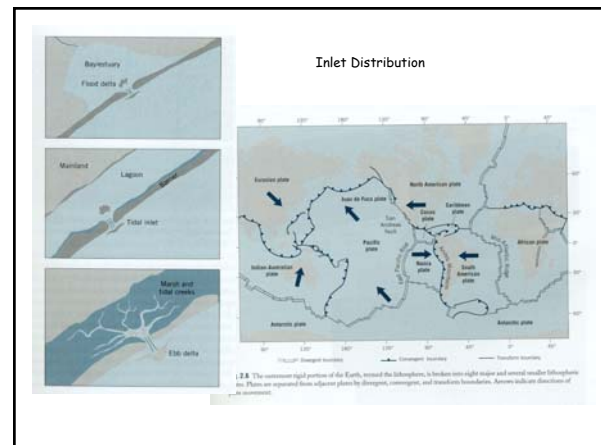
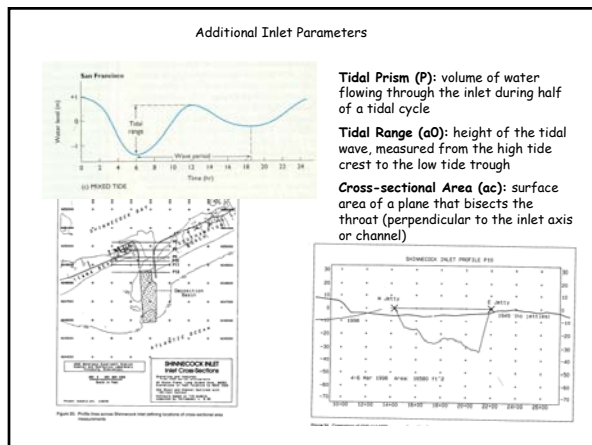
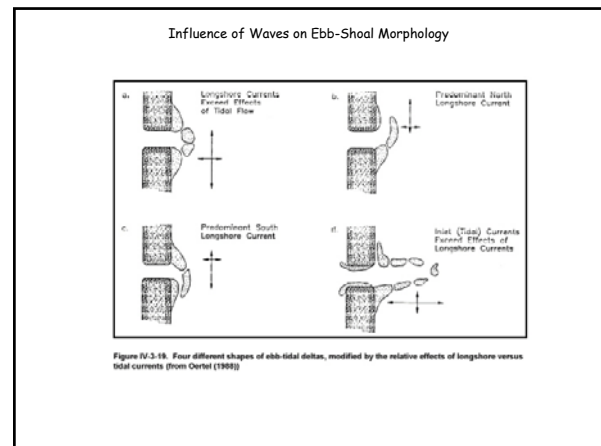
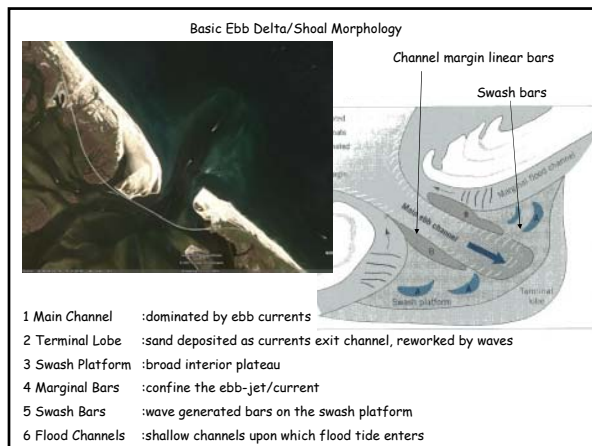


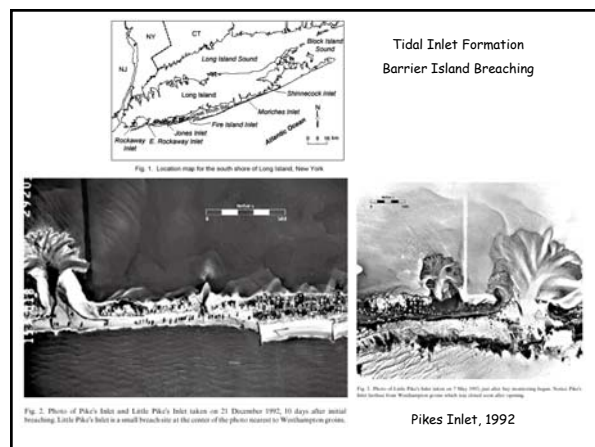
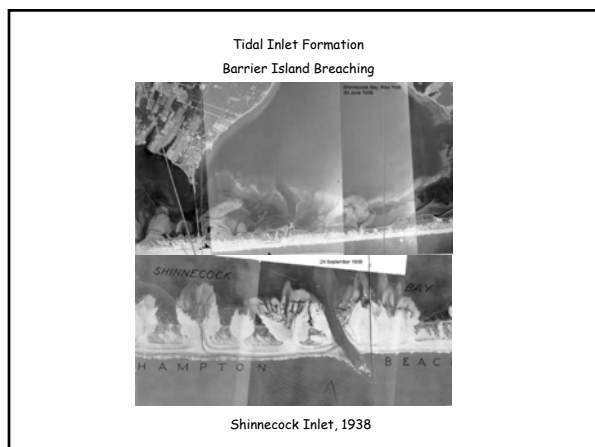
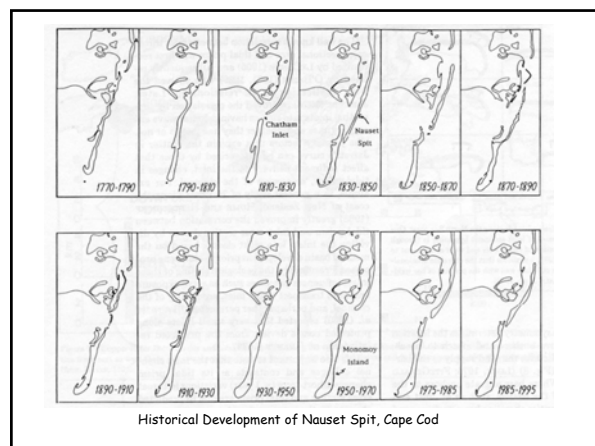
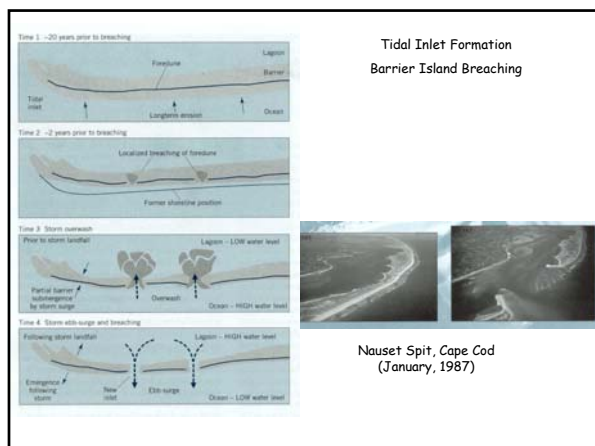
Ebb Shoal Complex

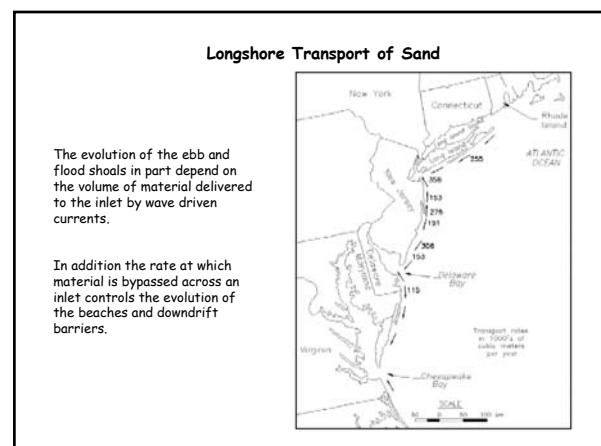
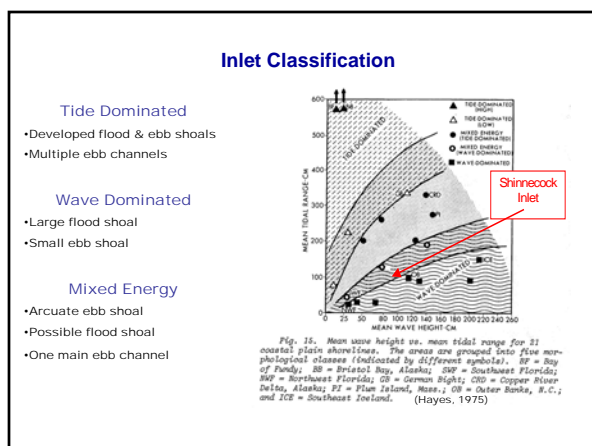
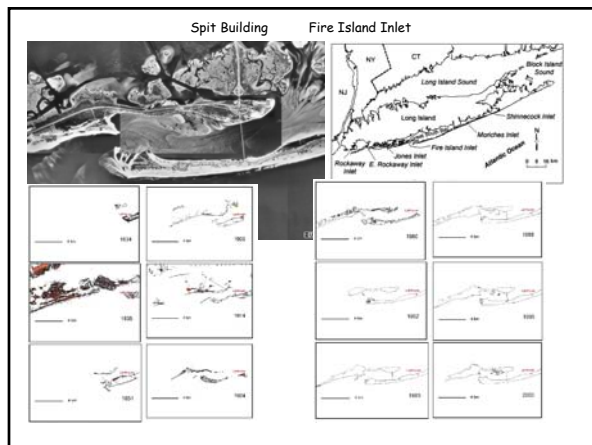
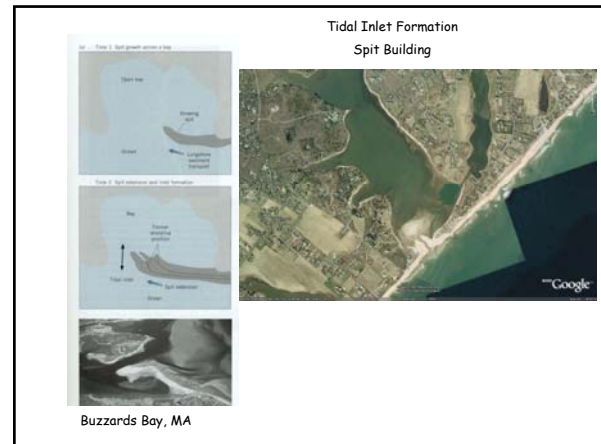
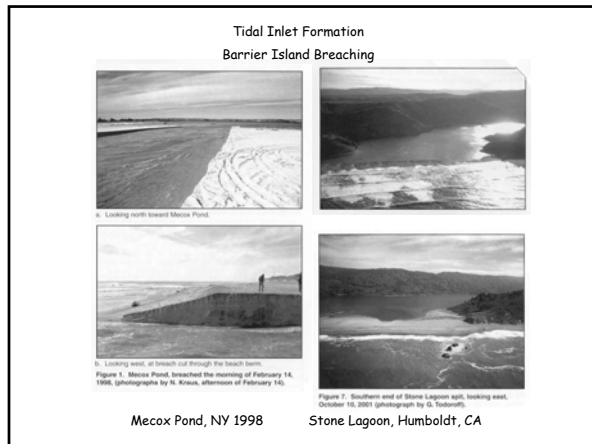
Basic Flood Delta/Shoal Morphology

- 1 flood ramp : dominated by strong flooding currents, sand waves
- 2 flood channel : two shallow channels around the flood delta, sand waves
- 3 ebb shield : highest landward portion of the delta
- 4 ebb spit : sand scoured from shield by ebbing currents
- 5 spillover lobe : ebbing currents, breach the spit







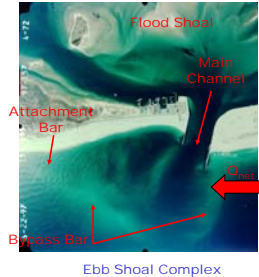


Natural Sediment Bypassing

Bypassing: process in which sand is transported across the inlet from the up-drift barrier to the down-drift beaches.

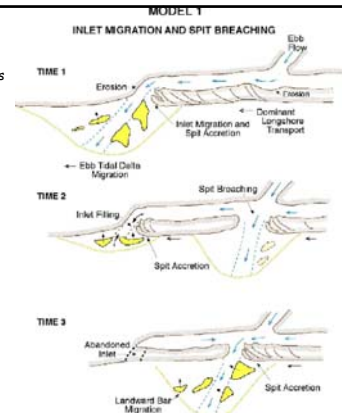
Bruun & Gerritsen, 1959

1. Wave driven transport around the periphery of the ebb-shoal complex
2. Tidal flushing through the throat of the inlet
3. Bypassing through migration of bar complexes and shifting of main channel



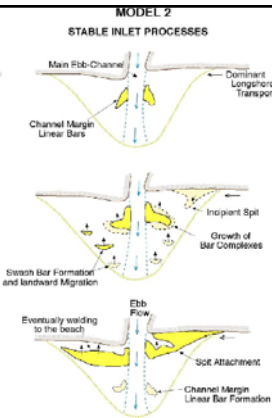
FitzGerald & Kraus Bypassing Models

- Inlet migrates in dominant transport direction
- Channel becomes hydraulically inefficient and unstable
- Spit breaches providing a more direct exchange of water between ocean and bay
- Barrier Island downdrift of breach is bypassed



FitzGerald & Kraus Bypassing Models

- Main channel and throat position are fixed (stable)
- Swash bars form on banks of channel
- Wave enhanced transport results in landward migration of swash bars
- Swash bars coalesce in inter-tidal zone
- Larger bar system welds to updrift and downdrift shorelines



Stable Inlet Processes
Price Inlet, SC

Illustrations indicate approximately 1 cycle for the four year period, however larger complexes have been observed to take up to 10 years to complete the bypassing process

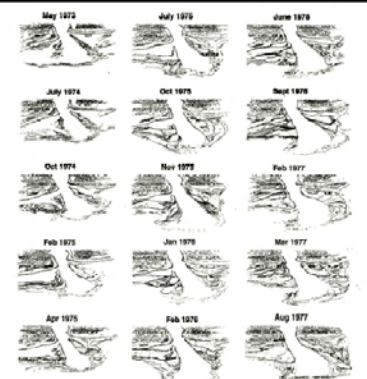
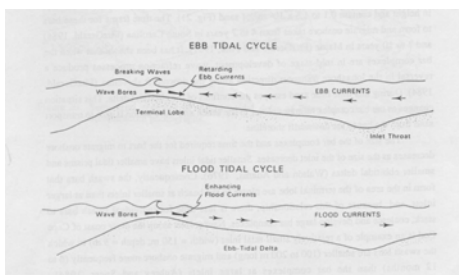


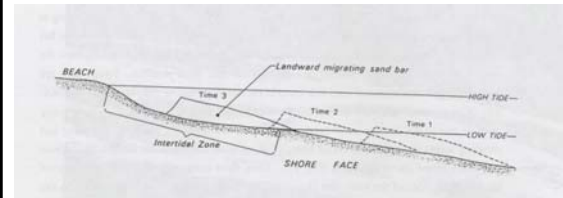
Figure 2. Changes in ebb-tidal delta morphology at Price Inlet, SC (May 1973 to August 1977)

FitzGerald & Kraus Bypassing Models

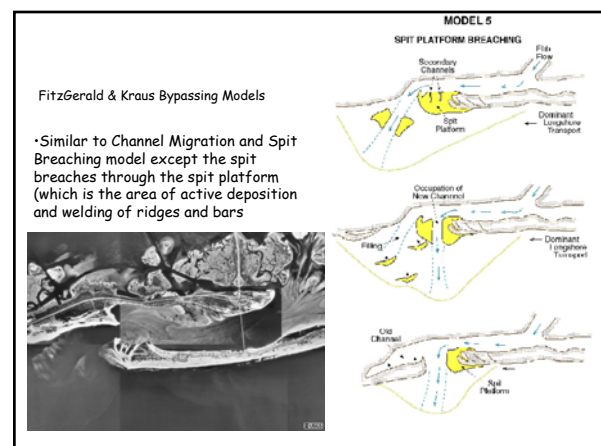
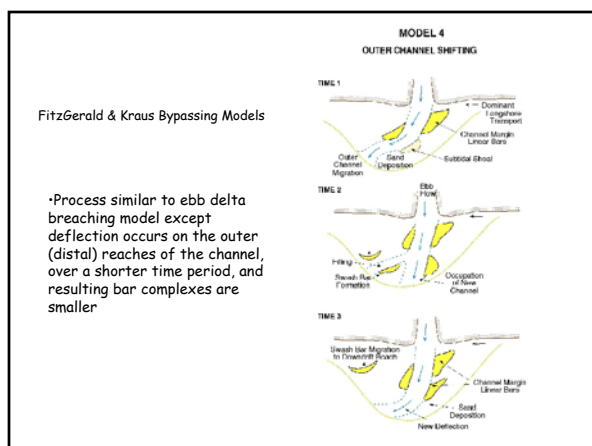
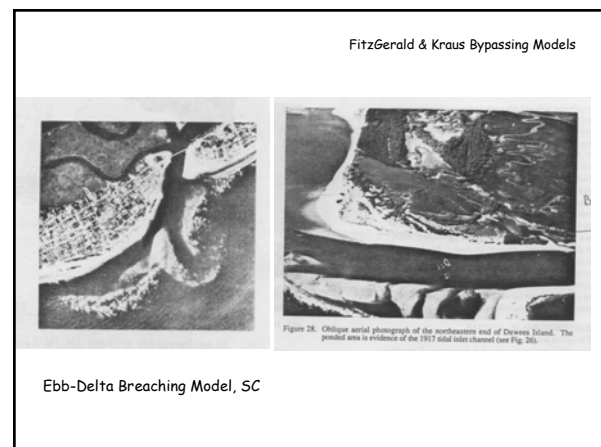
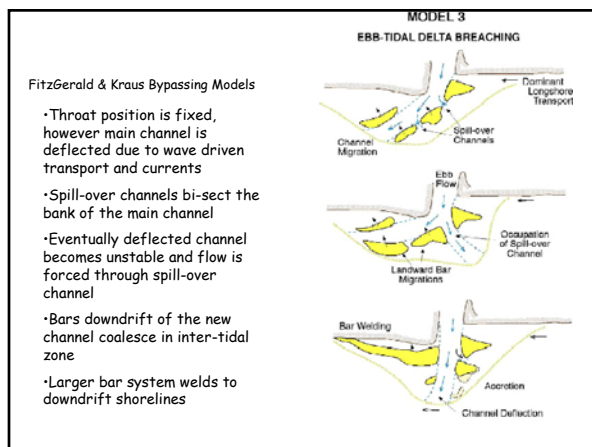
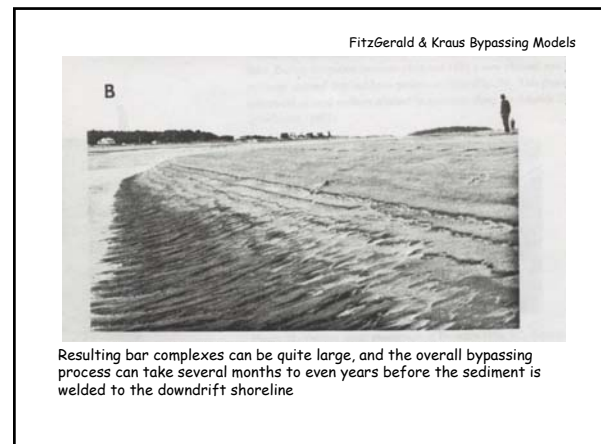
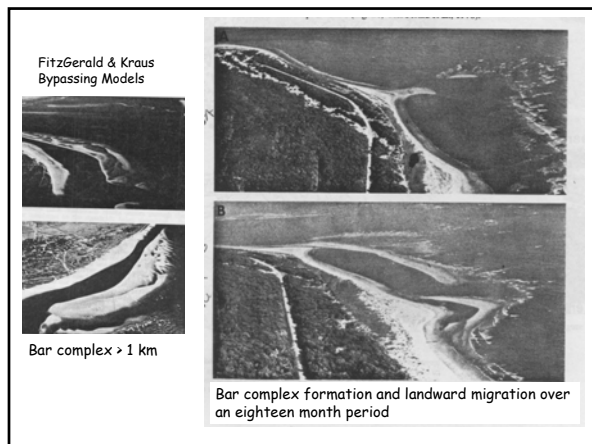


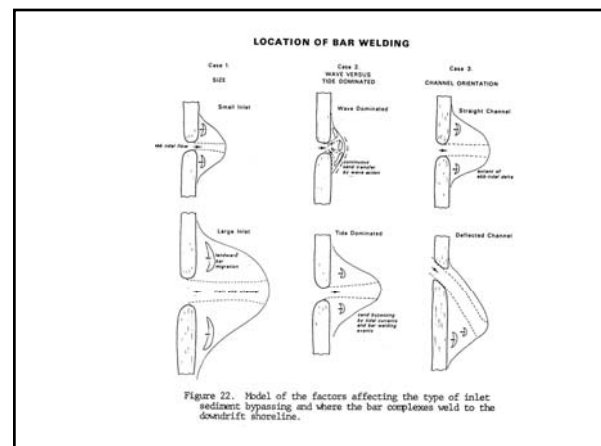
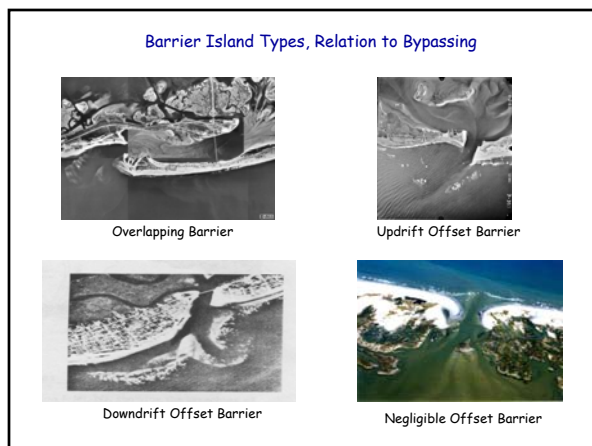
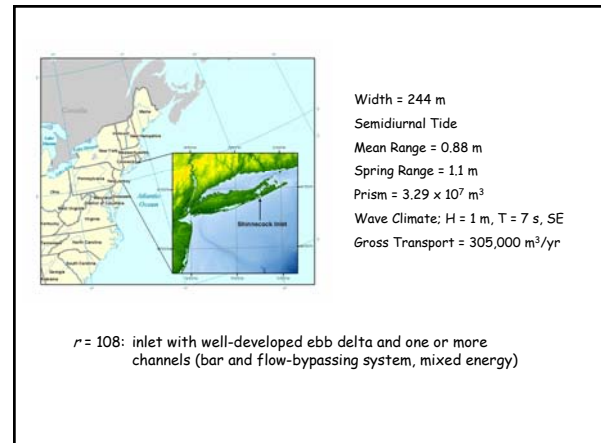
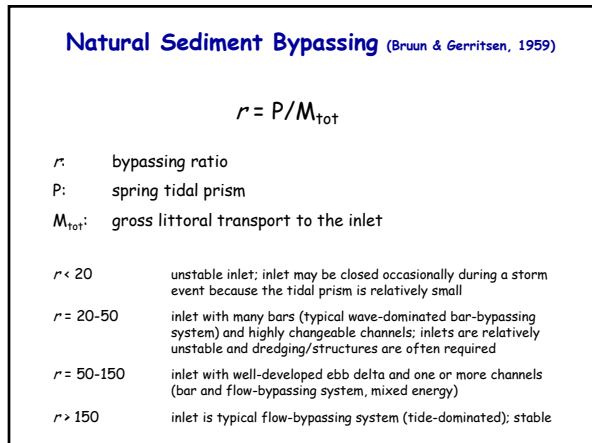
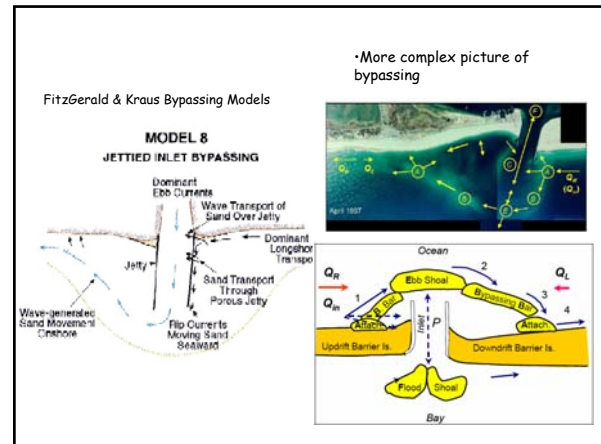
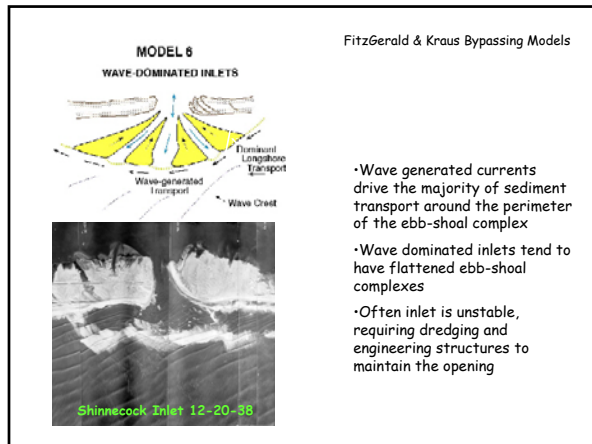
- Low wave energy environments
- Wave bores enhance flood-currents, retard ebb-currents
- Result in a net landward movement of bar features

FitzGerald & Kraus Bypassing Models

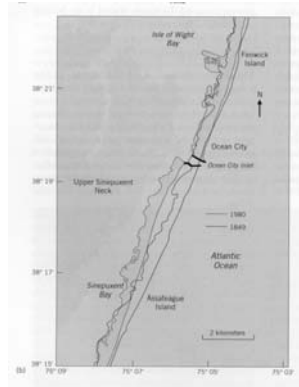


- As swash bars move up shoreface (beach face), they gain greater intertidal exposure
- This results in a decrease in the rate of shoreward migration because there is less time for the combined influence of wave and flood-tide currents to force their onshore movement
- The swash bars begin to stack up and coalesce into a much larger bar feature

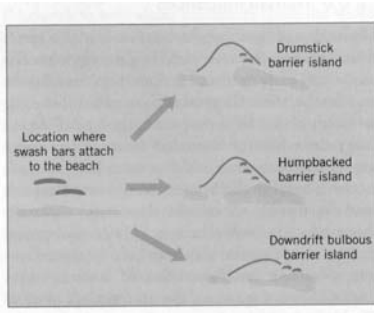




Updrift Offset Barrier
Sediment starvation of
downdrift barrier leads
to recession



Sub-Classification of Barriers

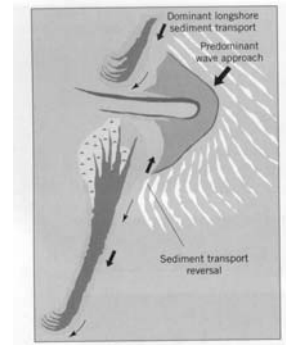


Drumstick Barrier = Downdrift Offset Barrier

Formation of Drumstick Barrier

Complex wave refraction
pattern around ebb-shoal
leads to transport reversal
at the attachment point.

Note: Not as frequent for
engineered or structured
inlets



Equilibrium, Tidal Inlet Relationships

- Inlets are evolving toward a dynamic state of equilibrium
- Initial rate of growth of ebb and flood shoal complexes is rapid
- The growth rate decreases as inlets develop more permanent morphologic features and establish bypassing pathways
- The time it takes the inlet to reach equilibrium depends on the tidal prism, wave climate, and anthropogenic influences on the system (mainly dredging).
- As sea level rises can dynamic equilibrium be obtained?

Examples of empirical and theoretical equilibrium relationships for tidal inlet morphology

Author	Morphologic feature or relation	Relationship
LeCote (1905), O'Brien (1931, 1969), Johnson (1972), Riedel and Goulet (1980), Hume and Henselwood (1990), etc.	Minimum channel cross-sectional area, A_c (note: LeCote, Riedel and Goulet, and Hume and Henselwood consider the longshore transport rate magnitude)	$A_c = C_1 P^a$
Escoffier (1940)	Inlet cross-sectional area stability	Closure curve
Brown and Gerritsen (1959, 1960)	Inlet stability, sand bypassing type	P/Q_b
Floyd (1968), Floyd and Drury (1976)	Minimum entrance bar (ebb shoal) depth vs. channel depth; bar distance offshore vs. channel depth	linear
Jensen (1976)	Minimum channel cross-sectional area, with and without jets	$A_c = C_2 P^a$
Walton and Adams (1976), Martini and Mehta (1987)	Equilibrium ebb shoal volume, V_b (note: separate relations according to wave climate)	$V_b = C_3 P^b$
Shigemura (1981)	Equilibrium throat width, B	$B = C_4 P^a$
Gibson and Davis (1993)	Equilibrium ebb shoal area, A_e	$A_e = C_5 P^a$
Kraus (1998)	Derivation of minimum channel cross-sectional area relation [note: includes longshore sediment transport rate in C_5]	$A_c = C_5 P^a$
Carr de Brito and Mehta (2001)	Flood shoal area, A_f , and volume, V_f	$A_f = C_6 P^a$ $V_f = C_7 P^a$

P = tidal prism; A_c = minimum cross-sectional area of inlet; A_e (A_f) = equilibrium horizontal area of ebb (flood) shoal; V_b (V_f) = equilibrium volume of ebb (flood) shoal; C = empirical or derived coefficient; a , n , p , q , r = empirical or derived powers; B = minimum width of inlet throat; Q_b = gross longshore transport in a year

Cross-Sectional Area and Tidal Prism Relationship, Jarrett, 1976)

$$Ac = C \cdot P^n$$

Ac = minimum cross-sectional area (m^2)

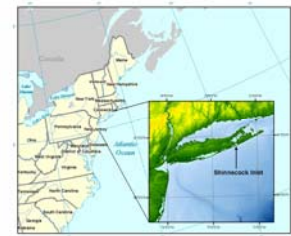
P = tidal prism (m^3)

C and n = correlation coefficients (jetties)

Regression values found by Jarrett (1976) for $Ac = CP^n$ (m^2 , tidal inlets on U.S. coasts)						
	All Inlets		Unjettied, Single-Jettied		Dual Jettied	
Location	C	n	C	n	C	n
All Inlets	1.576×10^{-4}	0.95	3.797×10^{-5}	1.03	7.490×10^{-4}	0.86
Atlantic Coast	3.039×10^{-5}	1.05	2.261×10^{-5}	1.07	1.584×10^{-4}	0.95
Gulf Coast	9.311×10^{-4}	0.84	6.992×10^{-4}	0.86	Insuff. data	Insuff. data
Pacific Coast	2.833×10^{-4}	0.91	8.950×10^{-6}	1.10	1.015×10^{-3}	0.85

Prism = $3.29 \times 10^7 m^3$

Wave Climate: $H = 1 m$, $T = 7 s$, SE



dual jettied inlet

C and n are 1.58×10^{-4} and 0.95

Ac equilibrium = $2,188 m^2$

Ac 1994 = $1,551 m^2$

Ac 1998 = $1,566 m^2$

inlet is scouring toward the predicted equilibrium flow area

Walton and Adams, Ebb-Shoal Volume

Determined a relationship between tidal prism (P) and the volume of sand contained within the ebb-shoal complex for inlets in equilibrium.

$$V_{ebb} = C \cdot P^n$$

V_{ebb} = volume of equilibrium ebb shoal yd^3

P = tidal prism (ft^3)

C, n = correlation coefficients based on energy regime

$$H_s^2 T^2$$

H_s = significant wave height

T = significant wave period

Walton and Adams, Ebb-Shoal Volume

C, n = correlation coefficients based on energy regime

$$H_s^2 T^2$$

$H_s^2 T^2$ 0 - 30 = mildly exposed coast

$H_s^2 T^2$ 30 - 300 = moderately exposed coast

$H_s^2 T^2$ > 300 = highly exposed coast

$n = 1.23$

$C = 13.8 \times 10^{-5}$ mildly exposed coast

$C = 10.5 \times 10^{-5}$ moderately exposed coast

$C = 8.7 \times 10^{-5}$ highly exposed coast

Walton and Adams, Ebb-Shoal Volume

$$V_{ebb} = C \cdot Ac^n$$

V_{ebb} = volume of equilibrium ebb shoal yd^3

Ac = cross-sectional area (ft^2)

C, n = correlation coefficients based on energy regime

$n = 1.28$

$C = 45.7$ mildly exposed coast

$C = 40.7$ moderately exposed coast

$C = 33.1$ highly exposed coast

Prism = $3.29 \times 10^7 m^3$

Wave Climate: $H = 1 m$, $T = 7 s$, SE



moderately exposed inlet

C and n are 10.5×10^{-5} and 1.23

equilibrium ebb-delta volume = $11,200,000 m^3$.

1998 ($6,463,000 m^3$) (Morang, 1999).

Shinnecock Inlet approximately 60 % of equilibrium volume.

attain equilibrium in ~ 75 years (Kraus, 2001)

dredging of the ebb-shoal will setback the evolution of the inlet